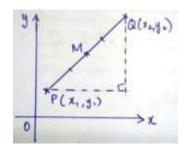
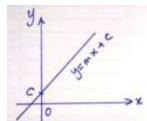
Geometry: Coordinate Geometry

Given two points, $P(x_1, y_1)$ and $Q(x_2, y_2)$



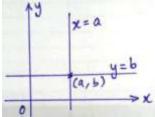
- (a) Gradient of PQ, $m=\frac{y_2-y_1}{x_2-x_1}$ (b) Distance $PQ=\sqrt{(x_1-x_2)^2+(y_1-y_2)^2}$
- (c) Coordinates of M (midpoint of PQ) = $(\frac{x_1+x_2}{2}, \frac{y_1+y_2}{2})$



(d) Equation of straight line is y = mx + c, c is a constant and m is gradient

Or, given coordinates of P and Q, equation of straight line passing through P and Q is

$$\frac{y - y_1}{x - x_1} = \frac{y_2 - y_1}{x_2 - x_1}$$



Equation of line passing through point (a, b) and parallel to y-axis is x = a

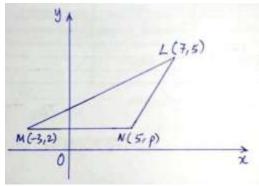
Equation of line passing through point (a, b) and parallel to x-axis is y = b

Properties of gradient

- A positive gradient means value of y increases as x increases
- A negative gradient means value of y decreases as x increases
- The gradient of a horizontal line = 0
- The gradient of a vertical line is undefined or infinity
- Gradient of parallel lines are equal
- Product of gradient of perpendicular lines, $m_1 \times m_2 = -1$
- Points A, B and C are collinear points if (i) gradient of AB = gradient of BC, or (ii) they lie on a straight line

Try these questions:

- (1) Given that A(p, 9) and B(0, q) pass through the straight line 2y 3x = 3. Find
 - (a) Values of p and q
 - (b) Length of AB
 - (c) Gradient of line perpendicular to AB
 - (d) Equation of line perpendicular to AB and passing through point A
- (2) The coordinates of A, B and C are (-6, p), (2,1) and (q, 4) respectively.
 - (a) If A, B and C are collinear points, prove that q pq + 2p = 26
 - (b) If p = -3, find the midpoint of AC
- (3) The points of L, M and N are (7,5), (-3,2) and (5,p) respectively. Given that MN is parallel to the x —axis. Find



- (a) Value of p
- (b) Gradient of NL
- (c) Equation of NL
- (d) Area of triangle LMN